# Indexing Graphs for Path Queries

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#### J. Sirén, N. Välimäki, V. Mäkinen: Indexing Graphs for Path Queries with Applications in Genome Research. WABI 2011, TCBB 2014.

A. Bowe, T. Onodera, K. Sadakane, T. Shibuya: Succinct de Bruijn Graphs. WABI 2012.

J. Sirén: GCSA2. https://github.com/jltsiren/gcsa2

Given a graph where paths are labeled by strings, a path index is a text index for the strings.

A path query finds the (start nodes of) the paths labeled by a kmer.



A\$\$	10
ATA	8
ATC	3
ATG	3
CAT	2,
CTT	2
GCA	1
GCT	1
GTA	7
TA\$	9
TCA	5
TGT	5
TTC	4

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- A kmer index based on a hash table supports queries of length k efficiently.
- If we sort the kmers, we can use them as a suffix array-like index for shorter queries.
- The kmer index can also simulate a de Bruijn graph.







We can search for **longer patterns** by representing the kmer index as a **de Bruijn graph**.





The results of long queries must be verified in the original graph to avoid false positives.



Some parts of the original graph may have too many paths through them. Those parts must be pruned before indexing.

The de Bruijn graph can also be pruned by **merging** the nodes with a **common prefix** of the label, if:

- the shorter label uniquely defines the start node in the original graph; or
- the start nodes cannot be distinguished by length-k extensions of the label.





We store predecessor labels, indegree, and outdegree for each node. For the nodes at the beginning of unary paths, we also store pointers to the original graph. Edges can be determined if the nodes are stored in sorted order.

The encoding is similar to the **Burrows-Wheeler transform** and the **FM-index**. Typical space usage is **1–2 bytes/node**.



## GCSA construction

- Start from paths of length k and use a prefix-doubling algorithm to build the pruned de Bruijn graph.
- extend(): Double the path length by joining paths  $A \rightarrow B$  and  $B \rightarrow C$  into paths  $A \rightarrow C$ .
- prune(): If all paths sharing a common prefix start from the same node, merge them into a single path.
- merge(): Merge all paths with the same label.





The files are sorted by path labels. GCSA construction determines the lexicographic ranges of potential predecessors of each node in the pruned de Bruijn graph and creates an edge from each node intersecting with the range.

Path length	16→32	16→64	16→128
Nodes: de Bruijn graph Pruned	6.23G 4.39G	16.9G 5.27G	118G 5.76G
Index size: Full index Without pointers	9.99 GB 4.10 GB	9.22 GB 4.84 GB	9.23 GB 5.27 GB
Construction: Time Memory Disk	7.20 h 43.8 GB 401 GB	11.4 h 43.8 GB 424 GB	15.5 h 43.8 GB 489 GB
I/O: Read Write	1.43 TB 1.05 TB	2.11 TB 1.71 TB	2.89 TB 2.47 TB

1000GP human variation, vg mod -p -l 16 -e 4 | vg mod -S -l 100 32 cores, 256 GB memory, distributed Lustre file system

#### Conclusions

- We can use pruned de Bruijn graphs encoded using the BWT to index variation graphs.
- GCSA2 is a practical implementation for wholegenome graphs and queries of length up to 128.
- The index is an **FM-index**: We can extend it with many techniques from text indexing literature.

## Graph pruning

- Split the graph into two layers: primary graph and additional edges.
- Index the **forward** and **reverse complement** strands of the primary graph.
- If x is a node in the original graph, let V(x) and V'(x) be the sets forward and reverse complement paths with x as the start node.
- For each additional edge (a,b), create edges from V'(a) to V(b).

In order to match kmers with one recombination, we:

- Split the kmer into prefix-suffix pairs.
- Search for the reverse complement of the prefix and for the suffix.
- Combine the partial matches with a 2D range query over the matrix of created edges.

In practice, we search for the kmer and its reverse complement, and do k–1 range queries. This finds both forward and reverse complement occurrences.

There may be false positives from paths with multiple start nodes.

GATTACA	ACA	
AATC		

Chris Thachuk: Indexing Hypertext. JDA, 2013.

## Representing rearrangements

We may have the same **sequence** or even **subgraph** in **different positions**.





Duplicated subgraphs

Unsupported cycles

We may need something stronger than graphs, which correspond to regular languages.



S → ABCD   ACBD		А	B1	B2	C1	C2	D
	А	0	1	0	0	1	0
$A \rightarrow $	B1	0	0	0	1	0	0
$B \to \bullet $	B2	0	0	0	0	0	1
	C1	0	0	0	0	0	1
	C2	0	0	1	0	0	0
$D \to $	D	0	0	0	0	0	0

The solution from Indexing Hypertext can be made to work with nonnested grammars. In the nested case, we need a way to index arbitrary context-free grammars.